# Lattice Vibration Spectra. LIX. Single Crystal Infrared and Raman Studies of Spinel Type Oxides

H. D. LUTZ, B. MÜLLER, AND H. J. STEINER

Universität Siegen, Anorganische Chemie I, Postfach 101240 D-5900 Siegen, Federal Republic of Germany

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The infrared reflection and Raman spectra of spinel type oxides  $MCr_2O_4$  (M = Mg, Mn, Fe, Co, Ni, Cu, Zn),  $MFe_2O_4$  (M = Ni, Cu), and  $Mn_3O_4$  (single crystals, pressed pellets) including Kramers-Kronig analyses and oscillator-fit calculations are presented. The spectra are discussed with respect to the true space group and ionicities of these compounds as well as the vibrational modes, phonon energies, and resonance Raman effects compared with the respective spectra of spinel type halides, sulfides, and selenides. Because of the relatively high porosity of the pellets obtainable the true frequencies of the IR allowed phonons can only be determined from single crystal spectra. © 1991 Academic Press, Inc.

## Introduction

Spinel type ternary oxides (space group Fd3m) should exhibit four IR (species  $F_{1u}$ ) and five Raman-allowed  $(A_{1g} + E_g + 3F_{2g})$ lattice modes as predicted by group theory (1, 2). In the conventional IR absorption spectra of such oxides as, for example,  $M^{II}$  Cr<sub>2</sub>O<sub>4</sub> and  $M^{II}$  Fe<sub>2</sub>O<sub>4</sub>, however, frequently more than four IR bands have been observed (3-5) and discussed in terms of structural features, especially with respect of the true space group of spinel type oxides, viz., Fd3m or F43m (4, 5). Studies of the true transversal (TO) and longitudinal optical (LO) phonon frequencies as well as of the Raman spectra, especially those of single crystals, are scarce (6-9).

In order to prove whether the band splittings observed with the conventional IR experiment are actually owing to the distortion of the spinel structure we recorded the IR reflection spectra and the Raman spectra of both single crystals and polycrystalline samples of various chromites and ferrites, and of tetragonally distorted hausmannite type  $Mn_3O_4$ . From the reflection spectra the dispersion functions of the dielectric and optic constants were calculated by means of classical oscillator-fit methods and Kramers-Kronig analyses.

## Experimental

The spinel type ternary oxides were prepared by (i) oxidation of sulfide spinels in a stream of oxygen at 800°C (10) (MnCr<sub>2</sub>O<sub>4</sub>, CoCr<sub>2</sub>O<sub>4</sub>), (ii) melting a mixture of  $M^{II}$  Cl<sub>2</sub> with K<sub>2</sub>Cr<sub>2</sub>O<sub>7</sub> up to 1100°C (11) (CuCr<sub>2</sub>O<sub>4</sub>, MgCr<sub>2</sub>O<sub>4</sub>, NiCr<sub>2</sub>O<sub>4</sub>), (iii) fusing the binary oxides at 1300°C (12, 13) (ZnCr<sub>2</sub>O<sub>4</sub>, CuFe<sub>2</sub>O<sub>4</sub>, NiFe<sub>2</sub>O<sub>4</sub>), (iv) solid state reaction of stoichiometric amounts of Fe, Cr<sub>2</sub>O<sub>3</sub>, and Fe<sub>2</sub>O<sub>3</sub> in sealed quartz ampoules at 1200°C (14) (FeCr<sub>2</sub>O<sub>4</sub>), and (v) decomposition of MnSO<sub>4</sub> · 4H<sub>2</sub>O (15) (Mn<sub>3</sub>O<sub>4</sub>).

Single crystals of  $ZnCr_2O_4$ , as large as 3 mm in diameter, and of  $CoCr_2O_4$ , 2 mm,



FIG. 1. Single crystal IR reflection spectrum of ZnCr<sub>2</sub>O<sub>4</sub>: dashed line, oscillator-fit calculation; dispersion functions of the optic and dielectric constants n (...), k (...), Im( $\varepsilon$ ) (...), and  $-Im(1/\hat{\varepsilon})$  (...).

were grown by chemical vapor phase transport in quartz tubes from 1050 to 970 and 880°C, respectively, with chlorine as transporting agent (16).

For infrared measurements, disk like pellets were prepared by pressing the powdered samples at 1 GPa. The pellets (and single crystals) were embedded in a plastic material and polished with  $Al_2O_3$  buffing powder as far as possible. The densities of the pellets only reached 55–60% of the values calculated from X-ray data. Sintering the pellets at temperatures up to 1500°C yields no improvement, at least in the case of the chromites.

The IR reflection spectra were recorded at near normal incidence using a Bruker IFS 114 Fourier transform interferometer (reference: Al mirror, resolution  $<4 \text{ cm}^{-1}$ ). Details of the experimental procedure and the conversion of the obtained spectra into the dielectric dispersion relations were given elsewhere (17, 18).

The Raman spectra were recorded on a

Dilor Omars 89 multichannel Raman spectrograph (spectral slit width < 5 cm<sup>-1</sup>). For excitation, the 514.5- and 647.1-nm lines of Ar<sup>+</sup> and Kr<sup>+</sup> ion lasers were employed. For details see (19). In the case of single crystals, the measuring geometries used were  $a(zz)\bar{a}$ and  $a(yy)\bar{a}$  (notation after Damen *et al.* (20)) ( $A_{1g}$  and  $E_g$  species),  $a(zy)\bar{a}$  ( $F_{2g}$ ), and  $a(z'y')\bar{a}$  ( $E_g$ ) with y' = y + z ([011]) and z'= -y + z ([011]).

# Results

The IR reflection spectra of  $ZnCr_2O_4$  single crystals reveal four Reststrahlen bands (see Fig. 1) as predicted by group theory; the spectra of polycrystalline samples (pressed pellets) of  $ZnCr_2O_4$  and of most other oxides show some more features (see Figs. 2 and



FIG. 2. IR reflection spectra of  $CoCr_2O_4$ : single crystal and pressed pellet after density correction (see text) (for further explanations see Fig. 1).



FIG. 3. IR reflection spectra of  $MCr_2O_4$  (M = Mg, Mn, Fe, Co, Ni, Zn): pressed pellets (see Fig. 1).

3). The Reststrahlen bands of  $CuFe_2O_4$  and  $NiFe_2O_4$  with inverse spinel structure are relatively broad (see Fig. 4) owing to the breakdown of the translation symmetry because of the random distribution of the metal ions on the octahedral sites (see the discussion in (19)). The IR spectra of the tetragonally distorted (space group  $I4_1/amd$ ) spinels  $CuCr_2O_4$  and  $Mn_3O_4$  (see Fig. 5) exhibit up to 12 Reststrahlen bands; allowed by group theory are 10 IR active modes (21).

The frequencies of the TO and LO zone center phonon modes were taken from the peak maxima of the  $Im(\hat{\epsilon})$  and  $-Im(1/\hat{\epsilon})$  dispersion relations, respectively (see Figs. 1



FIG. 4. IR reflection spectra of  $MFe_2O_4$  (M = Ni, Cu) (see Fig. 1).

and 2). The data calculated by the oscillatorfit method and Kramers–Kronig analyses differ up to 10 cm<sup>-1</sup>. As found for the corresponding sulfide and selenide spinels (18) the TO/LO splittings of the two low-energy modes are all small (<10 cm<sup>-1</sup>), those of the two high-energy bands are in the range of 50–100 cm<sup>-1</sup>. These relatively large splittings, as compared to those of the corresponding sulfides (<20 cm<sup>-1</sup>), reflect the greater ionicity of oxides. Thus, the effective dynamic ionic charges (Szigeti charges) of the oxide ions calculated from the TO/ LO splittings (procedure see *Ref.* (18)) are



FIG. 5. IR reflection spectra of the tetragonally distorted spinels  $CuCr_2O_4$  and  $Mn_3O_4$ .



FIG. 6. Single crystal Raman spectra of  $ZnCr_2O_4$  ((100) face) excited by radiation of different wavelengths with and without the use of polarization analyzers, respectively. Measuring geometries given by the notation of Damen *et al.* (20); y': [011]; z': [011]; asterisks indicate incomplete extinctions.

-0.94 e (CoCr<sub>2</sub>O<sub>4</sub>) and -0.91 e (ZnCr<sub>2</sub>O<sub>4</sub>) compared to -0.4-0.5 e in the case of sulfide and selenide spinels (18).

The single crystal Raman spectra of  $ZnCr_2O_4$  (see Fig. 6) reveal five bands, viz. at 692 cm<sup>-1</sup> ( $A_{1g}$ ), at 457 cm<sup>-1</sup> ( $E_g$ ), and at 610, 515, and 186 cm<sup>-1</sup> ( $F_{2g}$ ) as predicted by group theory for space group  $Fd\overline{3}m$  (In the case of CoCr<sub>2</sub>O<sub>4</sub> only three bands were observed, viz. 687 ( $A_{1g}$ ), 516, and 196 cm<sup>-1</sup> (both  $F_{2g}$ )). The relatively large amount of incomplete extinction is probably caused by

the microporosity of the crystal faces. The intensities of the Raman lines depend on the frequency of the laser light used (resonance Raman effect, which has also been observed in the case of sulfide spinels (19)). However, compared to the Raman spectra of sulfide spinels (19), the low intensity of the  $E_g$  mode is remarkable. The Raman spectrum obtained for NiFe<sub>2</sub>O<sub>4</sub> confirms that reported by Graves *et al.* (8) during our experiments. From the 10 Raman bands allowed for the tetragonal Mn<sub>3</sub>O<sub>4</sub> (21) only five were recorded (see Fig. 7).

## Discussion

Assignments of the four IR-allowed phonon modes with respect to vibrations of the tetrahedral  $MO_4$  and the octahedral  $MO_6$ units of the spinel structure as established in the older literature (3, 4, 23) (as well as further interpretations of the spectra obtained) are not possible without lattice dynamical calculations. The IR-allowed modes are typical lattice vibrations with contributions of all atoms and forces of the spinel structure (see the discussion given in (22)). Nevertheless, some bands, e.g., the two reflection maxima at intermediated energies, are more affected by the nature of the octahedrally coordinated metals, the lowest-energy mode by the metals on the tetrahedral sites (22). The influence of the masses of the atoms involved on the band energies independently of the forces has been studied by isotopic substitution experiments (3).

Similar approaches hold for the Raman-



FIG. 7. Raman spectrum of Mn<sub>3</sub>O<sub>4</sub> (pellet).

## TABLE I

Oscillator Parameters, to and lo Phonon Frequencies  $(cm^{-1})$  of Spinel Type Chromites and Ferrites (Data Taken from Peak Maxima of the Dispersion Relations of the Imaginary Part of The Dielectric Constant  $im(\hat{\epsilon})$  and the Dielectric Loss Function  $-im(1/\hat{\epsilon})$ ) Obtained by Oscillator-Fit Calculations (OF) and Kramers-Kronig Analyses (KKA), for MnFe2O4 and ZnFe2O4; See (6)

	$\rho_j$	ω	γj	ω <sub>ΤΟ</sub>		ωΓυ	
j				OF	ККА	OF	ККА
ZnCr <sub>2</sub> O <sub>4</sub>	, single crystal	· · · · · · · · · · · · · · · · · · ·					
1	0.052	186	0.045	186	186	194	194
2	0.024	370	0.064	370	372	376	377
3	0.165	509	0.038	509	506	575	574
4	0.043	621	0.026	621	624	711	711
$\varepsilon_x = 4.02$	5						
ZnCr <sub>2</sub> O <sub>4</sub> ,	, pellet						
1					188		194
2					374		378
3					527		570
4					633		706
CoCr <sub>2</sub> O <sub>4</sub>	, single crystal						
1	0.063	195	0.072	195	196	204	204
2	0.025	380	0.072	380	378	386	384
3	0.193	491	0.056	490	493	570	561
4	0.030	602	0.044	602	608	692	699
$\varepsilon_{\infty} = 3.8$	1						
CoCr <sub>2</sub> O <sub>4</sub> .	, pellet						
1					197		202
2					379		382
3					509		557
4					613		699
CoCr <sub>2</sub> O <sub>4</sub>	, pressed pellet after o	lensity correction of	the reflection spectru	ım			
1	0.070	196	0.090	196	196	207	203
2	0.021	378	0.052	378	378	383	382
3	0.176	493	0.029	493	491	560	558
4	0.030	598	0.028	598	609	689	701
MgCr <sub>2</sub> O <sub>4</sub>	, pellet						
1					249		253
2					428		432
3					466		503
4					498		566
5					633		725
$MnCr_2O_4$	, pellet						
1					193		198
2					376		383
3					473		540
4					602		683
FeCr <sub>2</sub> O <sub>4</sub> ,	pellet						
1	0.068	171	0.190	170	170	184	183
2	0.004	373	0.032	374	375	376	379
3	0.083	495	0.081	495	495	540	550
4	0.045	615	0.084	614	608	691	693
NiCr <sub>2</sub> O <sub>4</sub> ,	pellet						
1					178		187
2					222		223
3					299		301
4					370		373
5					484		537
6					610		692
$NiFe_2O_4$ ,	pellet						
1	0.010	151	0.100	151	151	152	153
2	0.036	189	0.066	189	188	192	191
3	0.396	376	0.060	376	380	444	440
4	0.175	572	0.056	562	580	686	686
$\varepsilon_{\infty} = 7.19$	7 nellet						
Cure <sub>2</sub> O <sub>4</sub>	, penet	207	0.275	20.4	202	429	
1 7	0.140	10C 577	0.273	.)84 574	574	438	444
2	0.067	3//	0.127	5/6	370	0.02	020

allowed lattice modes. In the vibrational modes of species  $A_{1g}$  and  $E_{g}$ , only motions of the oxygen atoms are involved and, hence, some more conclusions can be drawn from the band frequencies observed. Thus, the breathing mode of the tetrahedral  $MO_4$ units ( $A_{1g}$  species) is mainly influenced by bonding and repulsion effects of this unit, e.g., the covalency of the M-O bond, as shown from Raman spectroscopic studies of spinel type sulfides (19) and chlorides (24). Lattice dynamical calculations of ZnCr<sub>2</sub>O<sub>4</sub> (25), however, revealed that the octahedral Cr-O valence and the tetrahedral O-O repulsion force constants are even more relevant to the  $A_{1g}$  mode than the tetrahedral Zn-O valence force constant. The energies of the  $A_{1g}$  modes increase on going from spinel type chromium selenides (236-241  $cm^{-1}$ ) (26, 27) and sulfides (248–254  $cm^{-1}$ ) (19) to the oxides  $(685-699 \text{ cm}^{-1})$  (7, 9, and this work). This increase is much larger than can be caused by the decreasing masses of anions involved. These findings therefore reflect the stronger forces, especially the repulsive ones, of the ternary oxides compared to those of sulfides, etc.

In the case of the ferrites  $MFe_2O_4$ , which posses an inverse or partially inverse spinel structure, the number of the Raman bands observed (8) exceeds that predicted by group theory. These findings are obviously due to the lack of full translation symmetry in the case of inverse spinels (19) (see also the discussion given in (8)).

In the case of the chromites  $MCr_2O_4$ , we suppose that the true space group is  $F4\bar{3}m$ instead of  $Fd\bar{3}m$  despite only scarce spectroscopic indications (powder spectra). This means that the site symmetry of the octahedrally coordinated metals, i.e., the chromium ions, is  $C_{3v}$  compared to  $D_{3d}$  for space group  $Fd\bar{3}m$ . This reduction of symmetry, however, has been confirmed by X-ray structure determination in the case of MgCr<sub>2</sub>O<sub>4</sub> (28).

Because the true number of oscillators (Reststrahlen bands) present, i.e., four

(space group  $Fd\overline{3}m$ ) or seven (F43m), and the frequencies belonging to them are not exactly known conversion of the reflection spectra into the dielectric dispersion relations by means of the oscillator-fit method is problematic. This fact may be the reason for the different phonon frequencies obtained by oscillator-fit and Kramers-Kronig analysis, respectively. The number of oscillators used for calculation is included in Figs. 1-3 and Table I.

The relatively low densities of the obtained pellets became apparent also with the reflection spectra, which strongly differ from those of single crystals (see Figs. 1-3). The same applies to the oscillator parameters and phonon frequencies derived (see Table I). This means that, in the case of spinel type oxides, the true phonon frequencies cannot be calculated from IR reflection spectra of polycrystalline samples, i.e., pressed pellets, opposite to the corresponding sulfides and selenides (18). Attempts to prepare more dense pellets by sintering techniques at elevated temperatures were not successful apart from Mn<sub>3</sub>O<sub>4</sub> and  $NiFe_2O_4$ . However, some improvement can be obtained if the reflectivities recorded are corrected by density relations, i.e.,  $\rho_{cal}/\rho_{exp}$ (see Table I).

Furthermore, in the case of the spectra of the pellets obtained, there are some band splittings and other spectral features that are not observed for the single crystal spectra (see Figs. 1–3). Therefore, caution must be used when the IR spectra of polycrystalline samples are interpreted.

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